

Student Editors Improve a Strength of Materials Textbook

Dr. Barry Dupen, Indiana University-Purdue University, Fort Wayne

Dr. Dupen is an Associate Professor of Mechanical Engineering Technology at Indiana University – Purdue University Fort Wayne (IPFW). He has nine years' experience as a metallurgist, materials engineer, and materials laboratory manager in the automotive industry. His primary interests lie in materials engineering, mechanics, and engineering technology education. He is also an experienced contra dance caller.

Student Editors Improve a Strength of Materials Textbook

Abstract

Commercially-published technical textbooks are periodically revised using feedback from technical experts (primarily professors), resulting in technically excellent works. However, these books are not edited for understandability by the target audience, so many undergraduates find college textbooks difficult to read. In spring 2012, I spent a sabbatical semester writing a Strength of Materials textbook for sophomore engineering technology students at Indiana University – Purdue University Fort Wayne, in Fort Wayne, IN. The textbook is available online as a free pdf file. The students are required to submit recommendations for improvement as part of their homework assignments. I use these recommendations to update the textbook every semester. Now in its 11th edition,¹ the textbook is significantly easier to read, has far fewer typographical errors, and includes new material the students requested. This paper discusses the process of continual improvement and the effects the textbook has had on student success over the 5 years of its use.

Introduction

Within the last half century, Continual Improvement Processes (CIP) have become part of the culture in manufacturing and service industries. A key part of Kaizen and other CIP methods is to solicit and implement ideas from the employees, rather than from costly outside consultants.² Involving and empowering employees can reinforce a sense of teamwork and improve employee morale, leading to higher productivity and organizational efficiency. By visibly implementing CIP in the classroom, college professors are in a prime position to help students adopt this culture, enabling students to be ready for the workplace upon graduation. One way to demonstrate CIP is to solicit and implement textbook revisions from students. Traditionally-published engineering textbooks rely on editorial review by experts in the field (other professors) and editorial employees of the publishing house. Typically, a textbook is reviewed for technical content on the publishing cycle – perhaps once every 5 to 7 years – a punctuated improvement process rather than a continual one. Therefore, any errors or omissions in an edition go uncorrected for half a decade or more. What other industry knowingly sells defective products for such a long period of time without correction?

One alternative to the conventional model of textbook writing and revision is to have the students write and edit an online textbook.³ This strategy is ideally suited for a course comprised of short, independent, qualitative topics (such as an introductory Materials Science course), but is not likely to work well in a highly mathematical course like Strength of Materials.

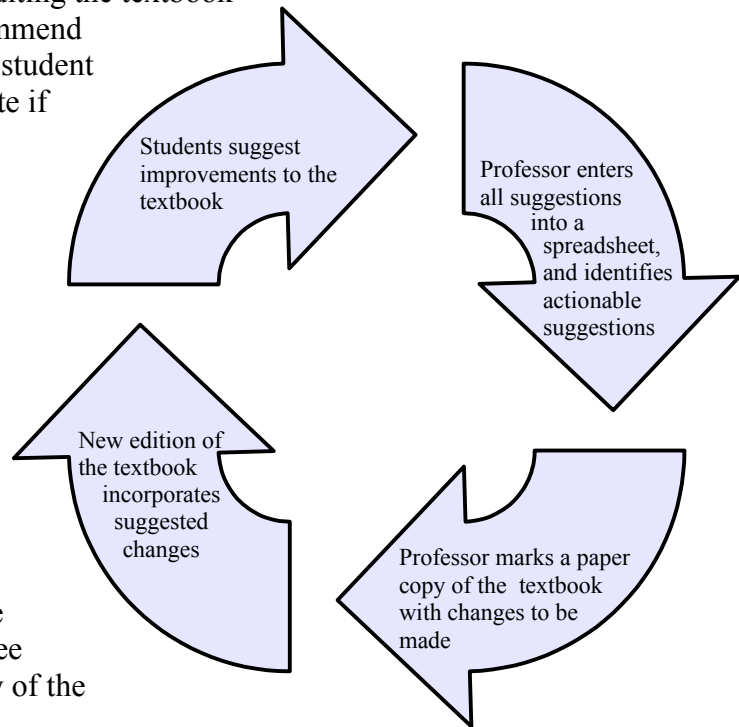
Student acceptance of online textbooks is dependent on ease of use and perceived usefulness.⁴ This paper offers a model for editorial review that addresses these concerns by relying on undergraduate students for chapter-by-chapter feedback every semester. The result is that students are more engaged in the topic, while many improvements and corrections are made at the end of each semester to an open-access Strength of Materials textbook. Each edition includes, on average, 80 changes and additions from the previous edition.

Continual Improvement Cycle

I spent a sabbatical semester writing a textbook for students in my class who major in either mechanical engineering technology (MET) or construction engineering technology (CNET), then I implemented the textbook in the classroom in the fall of 2012. In the spirit of ABET Criterion 4 (Continuous Improvement),⁵ I offered extra credit points in exchange for improvement ideas from students. Unfortunately, the feedback response rate was poor, as was the quality of the responses, because only the most desperate, low-performing students needed the points. The next semester, I improved the feedback cycle by including this question in each homework assignment: “How would you rewrite this chapter to make it more understandable?”

The continual improvement cycle for editing the textbook comprises four steps: [1] students recommend changes for the textbook; [2] I enter all student comments into a spreadsheet, with a note if the student either did not answer the question (left it blank, or replied “no changes are needed”) or did not submit the homework assignment; [3] after selecting the most appropriate changes, I mark them in a printed copy of the textbook; and [4] as the semester progresses, I modify next semester's version of the textbook, then issue a new edition at the beginning of the new semester.

Most student editorial suggestions fall into six broad categories. The first three categories focus on content; the last three focus on structure, format, and usability of the textbook.



1. Add or change example problems (generally, in a particular unit system, or for a specific topic).
2. Clarify or explain a concept.
3. Correct an error (either typographical or mathematical).
4. Link the text and example problems with reference material (tables, appendices, and formulas found elsewhere in the textbook).
5. Move reference material (tables, appendices) from one place to another.
6. Change the formatting (of diagrams, headings, labels in figures, and colors).

Here are some verbatim examples of student editorial suggestions in each category, along with the additions or corrections to address these suggestions.

Category 1: Add or change example problems

These suggestions are not specific, and therefore are difficult to address:

More examples.

More homework problems with different examples.

I think a few more detailed examples would help out a lot. Ones that contain more calculations.

Typically, the students who submit these types of comments are not actually reading the text; they prefer examples which are nearly identical to homework problems, so they can plug numbers into preexisting equations.

More useful recommendations include:

Maybe give a metric problem example of the eccentric loading.

I didn't think there were enough examples on timber beams.

An example with fillets.

An example of two loads on top of beam.

These very specific recommendations were easy to implement. I responded to the first suggestion by ensuring that half the examples are in U.S. Customary units, and the other half are in SI units.

Several students requested a particular type of example problem in one chapter of the 3rd edition:

Chapter 8 could benefit from having an example on uniformly distributed load that doesn't extend the length of the beam.

If I were to change anything in this chapter, I would recommend altering some of the examples. Most distributed loads are all going from edge to edge or from a point to the edge. This does not fully prepare us for some problems that are assigned.

To make this chapter more understandable, I would include more examples with the overhanging beams. That is where I made most of my mistakes.

I think you could have went over the uniform distributed load moment diagrams a little better finding area of parabolas and stuff.

I had some issues with a uniform load on a cantilever beam; everything else was fine.

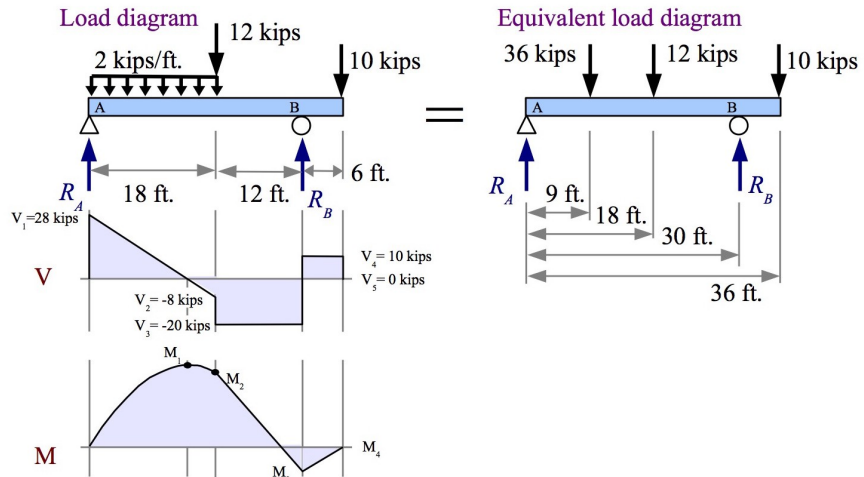
The new example problem in the 4th edition addresses these recommendations by including a uniform distributed load which extends over a portion of the length of an overhanging beam:

Example #22

Draw complete shear and moment diagrams for a 36 foot long overhanging beam having a uniform distributed load and two point loads as shown.

Solution Draw an equivalent load diagram, placing the equivalent point load at the centroid of the distributed load, which is 9 ft. from point A.

Use the equivalent load diagram to find the reaction forces, then draw the shear and moment diagrams below the original load diagram.



$$R_B = \frac{36 \text{ kips} \cdot 9 \text{ ft.} + 12 \text{ kips} \cdot 18 \text{ ft.} + 10 \text{ kips} \cdot 36 \text{ ft.}}{30 \text{ ft.}} = 30 \text{ kips}, \quad R_A = 36 \text{ kips} + 12 \text{ kips} + 10 \text{ kips} - 30 \text{ kips} = 28 \text{ kips}$$

Calculate the shear values: $V_1 = R_A = 28 \text{ kips}$, $V_2 = V_1 - \frac{2 \text{ kips}}{\text{ft.}} \cdot 18 \text{ ft.} = -8 \text{ kips}$, $V_3 = V_2 - 12 \text{ kips} = -20 \text{ kips}$,
 $V_4 = V_3 + 30 \text{ kips} = 10 \text{ kips}$, $V_5 = V_4 - 10 \text{ kips} = 0 \text{ kips}$

The moment curve starts with a parabola going up until the shear curve crosses zero; once the shear is negative, the moment curve drops parabolically until the end of the distributed load. In order to calculate the moment values, we need to know where the shear curve crosses the zero line. Use similar triangles to find x , then calculate the area of the left-hand

triangle in the shear diagram: $x = 18 \text{ ft.} \cdot \frac{28 \text{ kips}}{36 \text{ kips}} = 14 \text{ ft.}$

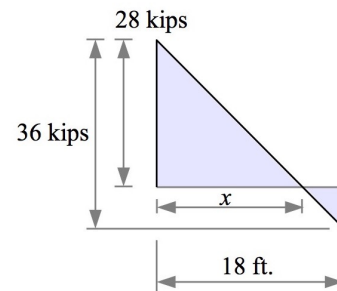
The area of the left-hand triangle is $M_1 = \frac{28 \text{ kips} \cdot 14 \text{ ft.}}{2} = 196 \text{ kip} \cdot \text{ft.}$

Subtract the area of the right-hand triangle to find

$$M_2 = M_1 - \frac{8 \text{ kips} \cdot 4 \text{ ft.}}{2} = 180 \text{ kip} \cdot \text{ft.}$$

Subtract the lower rectangle to find $M_3 = M_2 - 20 \text{ kips} \cdot 12 \text{ ft.} = -60 \text{ kip} \cdot \text{ft.}$. Add the upper rectangle to find $M_4 = M_3 + 10 \text{ kips} \cdot 6 \text{ ft.} = 0 \text{ kip} \cdot \text{ft.}$

In this problem, $|M|_{\max} = 196 \text{ kip} \cdot \text{ft.}$



Category 2: Clarify or explain a concept

One of the necessary skills in this course is the ability to interpolate numbers in a table, such as the weight per unit length of a timber beam. Up through 2015, most students in this class understood how to interpolate, but in spring of 2016 (9th edition) it became clear that many students were unfamiliar with the process. Typical suggestions were:

Put in an example of interpolation into the chapter so problem #3 works out easier.

Incorporate interpolation along with more distributed load examples.

Explaining more of how to interpolate the mass per unit length columns would be helpful and explaining when it's needed would be super helpful.

Here are my notes for updating the 10th edition:

↖ Bld headers, same style as "40 Other Beams"

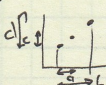
INTERPOLATION

~~Looking at Tables E1, E2, E3 in Appendix E,~~

Appendix E, Table E3, provides ~~the~~ the weight per unit length of timber beams, ^{provided the} specific weight ^{is either} 20, 30, or 40 lb/ft³. As Example #5 shows, ~~that if~~ Douglas fir has a specific weight $\gamma = 30 \text{ lb/ft}^3$, so you can use the 30 lb/ft³ column to find that the weight per unit length ~~of~~ of a Douglas Fir 4x8 is $w = 5.29 \text{ lb/ft}$.

What ~~if~~ the Southern Yellow Pine has a specific weight $\gamma = 34 \text{ lb/ft}^3$ and there is no column for this value. However, the table ~~lists~~ lists $w = 7.05 \text{ lb/ft}$ for $\gamma = 40 \text{ lb/ft}^3$ and $w = 5.29 \text{ lb/ft}$ for $\gamma = 30 \text{ lb/ft}^3$, for a 4x8 timber.

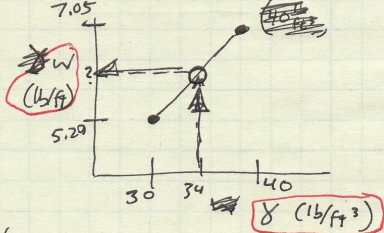
INSERT HERE
Table E3
headers and
4x8 row

Graph these values, and you can see that the ratio of $\frac{34-30}{40-30}$ ^{weight lb/ft³ units} is the same as the ratio $\frac{w-5.29}{7.05-5.29}$. It's really a similar triangles problem  where $\frac{a}{b} = \frac{c}{d}$.

Rewrite the equation to solve for $w = \left(\frac{34 \frac{\text{lb}}{\text{ft}^3} - 30 \frac{\text{lb}}{\text{ft}^3}}{40 \frac{\text{lb}}{\text{ft}^3} - 30 \frac{\text{lb}}{\text{ft}^3}} \right) (7.05 \frac{\text{lb}}{\text{ft}} - 5.29 \frac{\text{lb}}{\text{ft}}) + 5.29 \frac{\text{lb}}{\text{ft}}$

$= 5.99 \text{ lb/ft}$.

Use the same method to find the mass per unit length for ~~SI~~ SI timbers, and be sure to multiply by gravity to find the weight per unit length.



INSERT
#/ft³
units

The new section in the 10th edition which explains interpolation includes a sample table, sample calculations, and a diagram illustrating how interpolation is a practical example of a principle they have used elsewhere in the course: similar triangles.

Interpolation

The weight per unit length of a steel beam is the specific weight of steel (0.284 lb./in.^3) times the cross-sectional area of the beam. For metric sizes, the mass per unit length of a steel beam is the density of steel (7.85 g/cm^3) times the cross-sectional area of the beam. These values are listed in Appendix D.

With timber beams, the weight per unit length for a given timber size depends on the type of wood, because different wood species have different specific weights. Appendix E lists the weight per unit length for three different specific weights: 20, 30, and 40 lb./ft.^3 . For metric sizes, the mass per unit length is listed for three densities: 320, 480, and 640 kg/m^3 . Douglas fir has a specific weight of 30 lb./ft.^3 , therefore you can find the weight per unit length of a 2×6 Douglas fir timber in Table E3: it is listed as 1.72 lb./ft. in the table.

What if your 2×6 is made of Southern yellow pine? Specific weight $\gamma = 34 \text{ lb./ft.}^3$, which is not in the table...so you need to interpolate to find the weight per unit length w of this beam.

Here are the first few rows of Table E3:

Designation	Width	Depth	Area	Moment of inertia	Section modulus	Weight per unit length	Weight per unit length	Weight per unit length
						$\gamma = 20 \text{ lb./ft.}^3$	$\gamma = 30 \text{ lb./ft.}^3$	$\gamma = 40 \text{ lb./ft.}^3$
	b	d	A	I_x	S_x	w	w	w
	(in.)	(in.)	(in. ²)	(in. ⁴)	(in. ³)	(lb./ft.)	(lb./ft.)	(lb./ft.)
2×2	1.5	1.5	2.25	0.422	0.563	0.313	0.469	0.625
2×3	1.5	2.5	3.75	1.95	1.56	0.521	0.781	1.04
2×4	1.5	3.5	5.25	5.36	3.06	0.729	1.09	1.46
2×6	1.5	5.5	8.25	20.8	7.56	1.15	1.72	2.29

From the 2×6 row, $w = 1.72 \text{ lb./ft.}$ for $\gamma = 30 \text{ lb./ft.}^3$ and $w = 2.29 \text{ lb./ft.}$ for $\gamma = 40 \text{ lb./ft.}^3$. If you graph these values, you

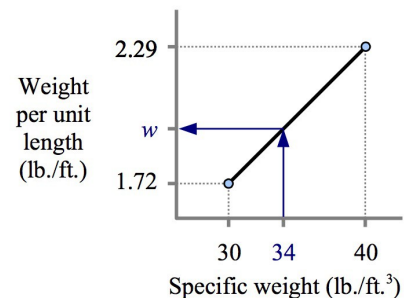
can see that the ratio of $\frac{34 \frac{\text{lb.}}{\text{ft.}^3} - 30 \frac{\text{lb.}}{\text{ft.}^3}}{40 \frac{\text{lb.}}{\text{ft.}^3} - 30 \frac{\text{lb.}}{\text{ft.}^3}}$ is equal to $\frac{w - 1.72 \frac{\text{lb.}}{\text{ft.}}}{2.29 \frac{\text{lb.}}{\text{ft.}} - 1.72 \frac{\text{lb.}}{\text{ft.}}}$. The math is essentially the same as a similar triangles calculation.

Rewrite the equation to solve for the weight per unit length:

$$w = \left[\frac{34 \frac{\text{lb.}}{\text{ft.}^3} - 30 \frac{\text{lb.}}{\text{ft.}^3}}{40 \frac{\text{lb.}}{\text{ft.}^3} - 30 \frac{\text{lb.}}{\text{ft.}^3}} \right] \left(2.29 \frac{\text{lb.}}{\text{ft.}} - 1.72 \frac{\text{lb.}}{\text{ft.}} \right) + 1.72 \frac{\text{lb.}}{\text{ft.}} = 1.95 \frac{\text{lb.}}{\text{ft.}}$$

Use the same method to find the mass per unit length for SI timbers, and be sure to multiply by gravity to find the weight per unit length.

Interpolation is a good skill to develop because it is used in many other technical fields, including physics, chemistry, heat transfer, fluid mechanics, and thermodynamics.



In the textbook, the above explanation is followed by a fully-worked-out example problem. The next semester, the nature of student comments changed:

It would be nice to have a note saying students need to study interpolation for the specific problem.

Mohr's circle and the concept of stresses acting at different angles is one of the most confusing topics in the course. Many students have difficulty understanding how a stress can act in a direction other than the familiar x and y directions. An example problem in the 9th edition was designed to show that shear stresses can develop at 45° to the axis of bar loaded in uniaxial tension:

Example #1

An aluminum rod with a diameter of 0.5 inches is pulled with a load of 2000 lb. as shown. Calculate the applied stresses σ_x , σ_y , and τ_{xy} . Use Mohr's circle to find the principal stresses σ_1 and σ_2 , angle θ , and the maximum shear stress τ_{max} at point A.

Solution

The applied normal stress is in the y direction; there is no applied shear stress.

$$\sigma_x = 0$$

$$\sigma_y = \frac{P}{A} = \frac{4P}{\pi d^2} = \frac{4 \cdot 2000 \text{ lb.}}{\pi (0.5 \text{ in.})^2} \left| \frac{\text{kip}}{10^3 \text{ lb.}} \right. = 10.2 \text{ ksi}$$

$$\tau_{xy} = 0$$

$$\sigma_{avg} = \frac{\sigma_x + \sigma_y}{2} = \frac{0 \text{ ksi} + 10.2 \text{ ksi}}{2} = 5.09 \text{ ksi}$$

$$R = \sqrt{\left(\frac{\sigma_x - \sigma_y}{2}\right)^2 + \tau_{xy}^2}$$

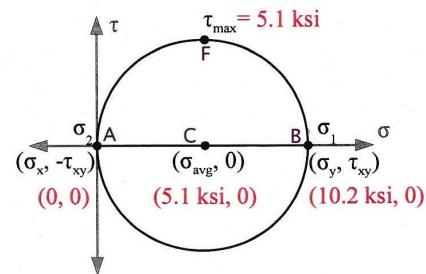
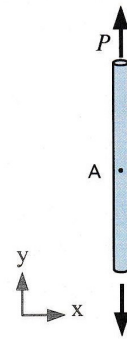
$$= \sqrt{\left(\frac{0 \text{ ksi} - 10.2 \text{ ksi}}{2}\right)^2 + (0 \text{ ksi})^2} = 5.09 \text{ ksi}$$

$$\sigma_1 = \sigma_{avg} + R = 5.09 \text{ ksi} + 5.09 \text{ ksi} = 10.2 \text{ ksi}$$

$$\sigma_2 = \sigma_{avg} - R = 5.09 \text{ ksi} - 5.09 \text{ ksi} = 0 \text{ ksi}$$

$$\tau_{max} = R = 5.09 \text{ ksi}$$

Angle $\theta = 0$, by inspection.



Show PHOTOGRAPH of ^{impact and} broken tensile specimens.
Explain how fracture starts in transverse plane due to normal stress, then final fracture starts at 45° due to shear stress.

One semester I brought in a broken tensile sample to illustrate the 45° shear direction in a ductile metal, and the students recommended putting a photograph of the tensile specimen in the book. The new version of this example in the 10th edition explains the shear stress and the angle of that stress, using an additional annotated Mohr's circle figure, followed by a photograph of a classic cup-and-cone fracture.

Example #1

A brass rod with a diameter of 0.5 inches is pulled with a load of 2000 lb. as shown. Calculate the applied stresses σ_x , σ_y , and τ_{xy} . Use Mohr's circle to find the principal stresses σ_1 and σ_2 , angle θ , and the maximum shear stress τ_{max} at point A.



Solution

The applied normal stress is in the y direction; there is no applied shear stress.

$$\sigma_x = 0 \quad \sigma_y = \frac{P}{A} = \frac{4P}{\pi d^2} = \frac{4 \cdot 2000 \text{ lb.}}{\pi (0.5 \text{ in.})^2} \left| \frac{\text{kip}}{10^3 \text{ lb.}} \right. = 10.2 \text{ ksi} \quad \tau_{xy} = 0$$

$$\sigma_{avg} = \frac{\sigma_x + \sigma_y}{2} = \frac{0 \text{ ksi} + 10.2 \text{ ksi}}{2} = 5.09 \text{ ksi}$$

$$R = \sqrt{\left(\frac{\sigma_x - \sigma_y}{2}\right)^2 + \tau_{xy}^2}$$

$$= \sqrt{\left(\frac{0 \text{ ksi} - 10.2 \text{ ksi}}{2}\right)^2 + (0 \text{ ksi})^2} = 5.09 \text{ ksi}$$

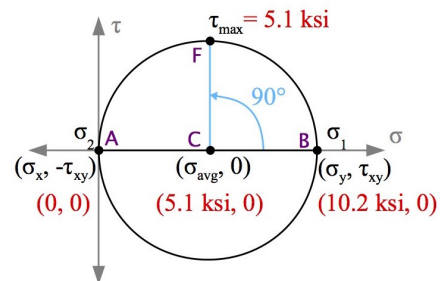
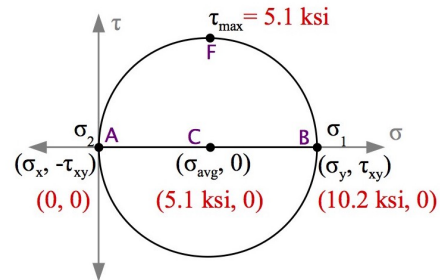
$$\sigma_1 = \sigma_{avg} + R = 5.09 \text{ ksi} + 5.09 \text{ ksi} = 10.2 \text{ ksi}$$

$$\sigma_2 = \sigma_{avg} - R = 5.09 \text{ ksi} - 5.09 \text{ ksi} = 0 \text{ ksi}$$

$$\tau_{max} = R = 5.09 \text{ ksi}$$

Angle $\theta = 0$, by inspection, confirming that the maximum normal stress (principal stress #1) is the normal stress in the y direction.

Rotate line segment B-C about point C to create line segment C-F 90° to the principal stress direction. Since all angles in Mohr's circle are double angles, we see that the maximum shear stress acts 45° to the principal stresses.



This photograph of a broken tensile specimen proves the existence of the maximum shear stress acting 45° to the axis of the rod. The specimen is pulled beyond its yield strength. Internally, microscopic voids form in a plane perpendicular to the axis; these voids coalesce to form a crack that grows from the center towards the surface of the rod. At some point, there is not enough material to support the load, and the rod shears at 45° , creating the classic cup-and-cone fracture surface of a ductile tensile specimen.



Category 3: Correct an error

These student editorial suggestions refer to the same typographical error.

In example #8, calculating for the gross plate strength it says the thickness of the thinner plate is 7/16". However the picture shows the thickness of the thinner plate is 3/8", which is 6/16".

When calculating a weld strength, example 8 has two plate sizes. It then assumes $t=7/16$ in. (which I believe is just half the total t) but the paragraph prior states using the smaller plate (3/8 in.).

The one improvement to make this chapter more understandable is to fix example #8, in equation P_G it should be 3/8" instead of 7/16" for thickness.

More on example #8 would be helpful, explaining how t was found for P_S and P_G .

The first three students clearly understand what the mistake is; the last is less sure, but is aware that there is an error somewhere. Here are the handwritten changes in the paper edition of the 9th edition:

Example #8

A 3/8 in. thick, 6 in. wide plate made of A36 steel is welded to a 1/2 in. thick, 8 in. wide plate using a 3/16 in. weld with an E80 electrode. Determine the joint strength, reporting the result in kips. Also, calculate the efficiency of the joint.

Solution Appendix B5 does not include data for the E80 electrode; instead, use the weld strength equation. The length of each weld is 7 in. plus the 1 in. end return, or 8 in. The total weld length $L=2(8 \text{ in.})=16 \text{ in.}$ The tensile strength of an E80 weld is 80 ksi. The joint can support a load of

$$P_{weld} = 0.212 \cdot l \cdot L \cdot \sigma_{UTS} = 0.212 \cdot \frac{3}{16} \text{ in.} \cdot 16 \text{ in.} \cdot 80 \frac{\text{kips}}{\text{in.}^2} = 50.9 \text{ kips}$$

From Appendix B4, A36 steel has an allowable gross tensile strength of 21.6 ksi. Use the smaller plate cross-sectional area (the top plate). The gross plate strength is

$$P_G = bt \sigma_{G, allowable} = 6 \text{ in.} \cdot \frac{7}{16} \text{ in.} \cdot 21.6 \frac{\text{kips}}{\text{in.}^2} = 56.7 \text{ kips}$$

$\eta_{joint} = \frac{50.9 \text{ kips}}{56.7 \text{ kips}} = 0.90 = 90\%$, which means that the joint is 10% weaker than the 6 in. plate. The joint could be strengthened in several ways: a larger weld bead, a stronger weld electrode, a continuous bead around the end of the top plate, or a weld bead underneath.

3/8"

The checkmark indicates the change was made to the next edition of the textbook.

Category 4: Link the text and example problems with reference material

Early editions of the textbook lacked references to specific appendices:

In all the chapters, it would be nice if the example would reference what table the needed material info was on. There is a lot of wasted time searching for the information needed to solve equations.

I would maybe add some references to which appendix (or page where info could be found) to search for values required to solve problem.

To make this chapter easier to understand, I would suggest adding which appendix to reference in Example #3 & #4.

One improvement that I would suggest for this chapter is to mention what appendix copper tubing is located in.

Would like more examples of each situation & reference to the appendix to show where the materials properties are.

This issue was easy to fix by including a reference to the specific appendix needed for each example problem, and by listing the appendices needed for each set of homework problems. Usually, these types of recommendations only appeared in the first few weeks of the course, until students developed the habit of looking up numbers in the appendices.

Some students wanted specific page number references:

At the end of the chapter in the Key Equations, reference what page the equation was first introduced.

It would be helpful to add the page number as reference after mentioning an appendix in the problems. I will tab them in my copy.

Maybe when you reference the allowable plate stress table, note the page number.

I would make the formulas more obvious to its users. It is obvious which formulas we need to use but locating the [word missing?] takes too much time and makes you need to re-find your place. At the very least put a page or appendix number at the end of each question.

On p.51 at the bottom, if you could give a quick page number reference on where to find shear modulus, that would be great! It doesn't have to be just this chapter either.

A reminder that r_G can be found in Appendix C with the properties of areas would be great.

Providing specific page numbers is probably counterproductive; the textbook is not particularly long, and I want students to learn how to use the appendices and index effectively.

Category 5: Move reference material

Some students asked to have all reference materials at the end of the book, in the appendices. Others wished the reference material could be moved to the first chapter where it is used, so they could avoid flipping pages.

Move charts on p.57, 31, & 29 to an appendix so we do not have to look for them.

I would prefer to have the Appendix C equations in the front of the book.

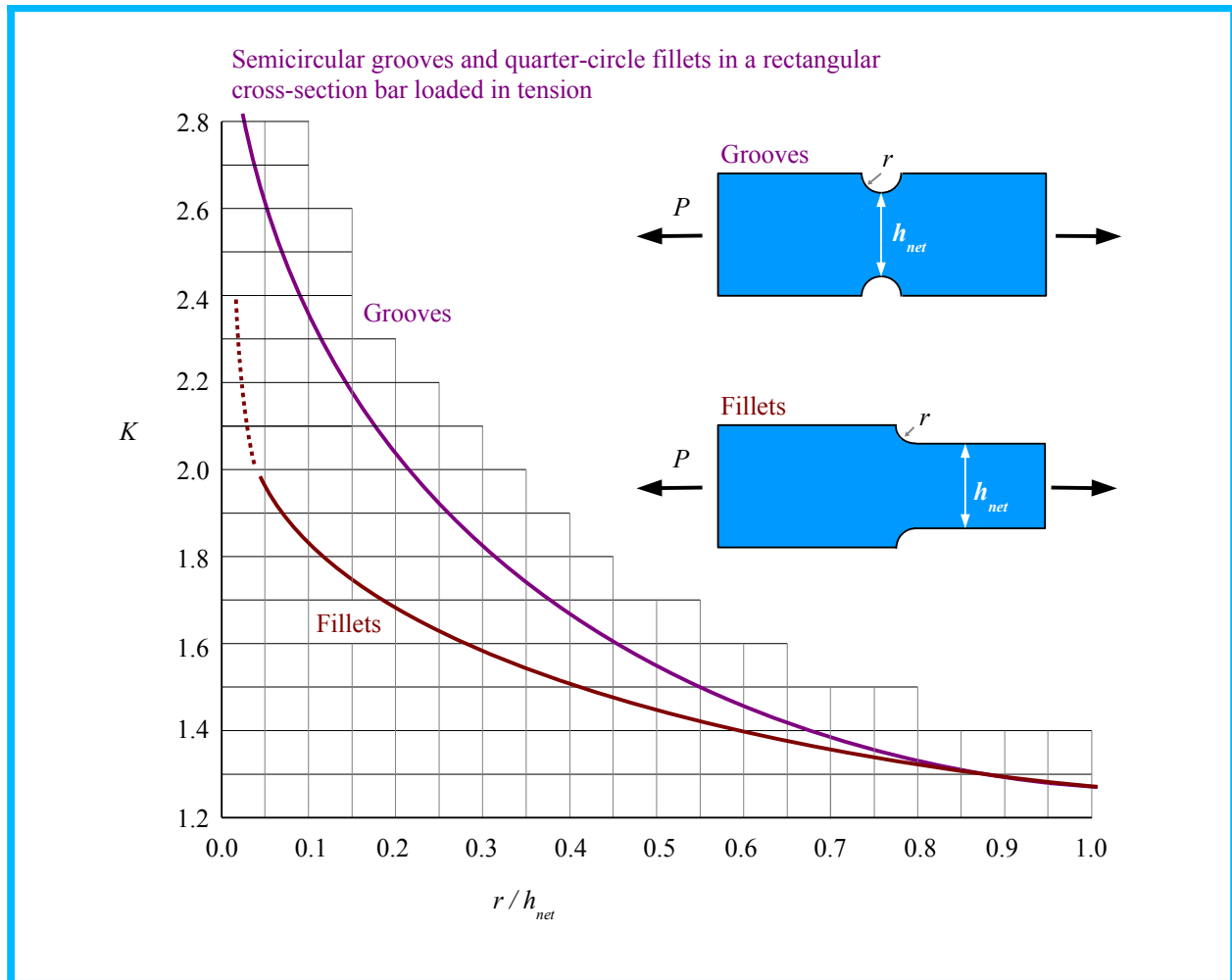
To make it easier I wish the table in Appendix B were in or at the end of this chapter so when I'm looking at an example I don't have to flip all the way to the back to get the information that I need.

Put all tables [*of bolt and plate properties*] on the same page for ease of reference.

Several students recommended moving the tables of bolt and plate properties. Up through the 5th edition, these tables were scattered throughout the chapter on bolted joint problems. Starting with the 6th edition, all of these tables moved to the same page in an appendix.

Category 6: Change the formatting

One advantage of online publishing is that colors are free. Over the years, students have requested more of the diagrams to be in color. Some students have recommended that different variables in equations be shown in different colors. I have used color to respond to a number of student editorial suggestions. For example, one chapter discusses stress concentrations due to holes, grooves, or fillets in flat plates which are loaded in tension. Each type of stress concentration requires a graph to determine the stress concentration factor for the given geometry. The graph for holes stands alone, but for space reasons, the groove and fillet curves are shown on the same graph. Each curve corresponds to the color of the label used for its respective plate. This diagram is from the 6th edition:



Many students used the wrong curve in their homework solutions, despite the labels on the curves. One cause may be the poor choice of color for the plates...the blue color does not correlate with either curve. Students had these editorial recommendations:

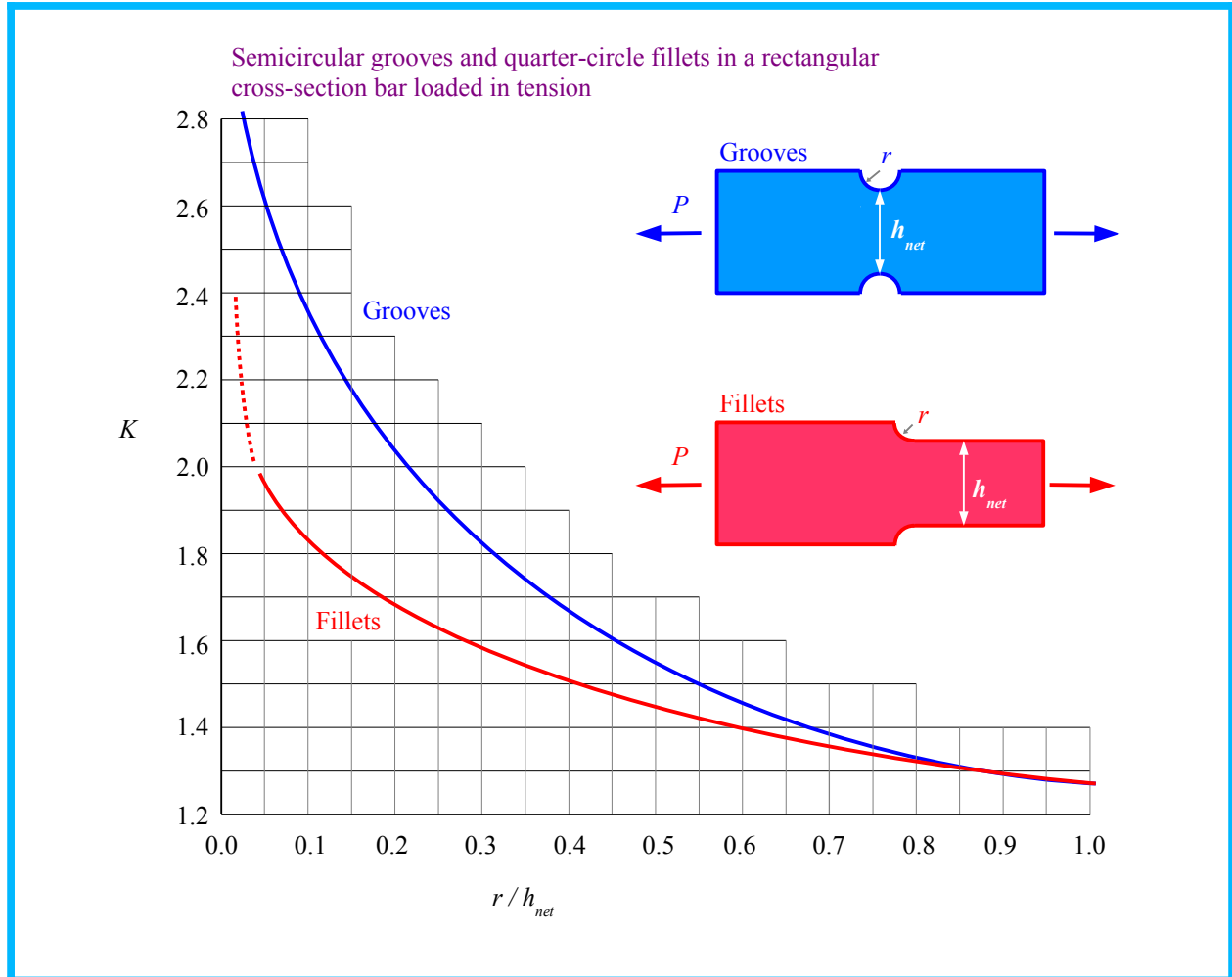
Separate the grooves and fillets graph. Have two separate graphs.

I would split the fillets graph from the grooves graph. This could eliminate the chances of mixing up the two types.

Make it VERY clear that grooves & fillets are not the same. A picture & explanation would help.

I chose not to plot the curves on two separate graphs because I want students to learn how to read a graph with more than one curve. Many engineering graphs contain multiple curves (such as temperature-entropy charts in thermodynamics, and the Moody diagram for fluid friction in circular pipes), so learning to read the stress concentration graph is good practice for future courses. The new version of the graph in the 7th edition shows the two plates in the same colors as the curves, which are now red and blue rather than purple and brown. About 0.5% of females and 8% of males of northern European ancestry have some degree of colorblindness,⁶ and the

most common type is red-green colorblindness. For this reason, color contrast in this graph and in most of the textbook is between shades of red and blue.



As a result of these improvements to the graph, fewer students chose the wrong curve when solving homework problems.

Another formatting change is symbol choice.

If a different symbol is used for radius of gyration it could lower some confusion in my brain.

What symbol represents weld efficiency? I couldn't find anything in Chapter 4 about it. I just went off of the example in our notes.

The first student was confused because the symbol for radius of gyration was r , which many students easily confused for radius. Subsequently I changed the symbol for radius of gyration to r_G , eliminating the confusion. Responding to the second student, I introduced a new symbol for welded joint efficiency.

Results

One result of this continual improvement process is an average of 80 changes in every new edition of the textbook, either to correct errors or to explain topics in better ways.

Two other measurable results are engagement (as measured by the length of the responses) and course grades.

Response Length

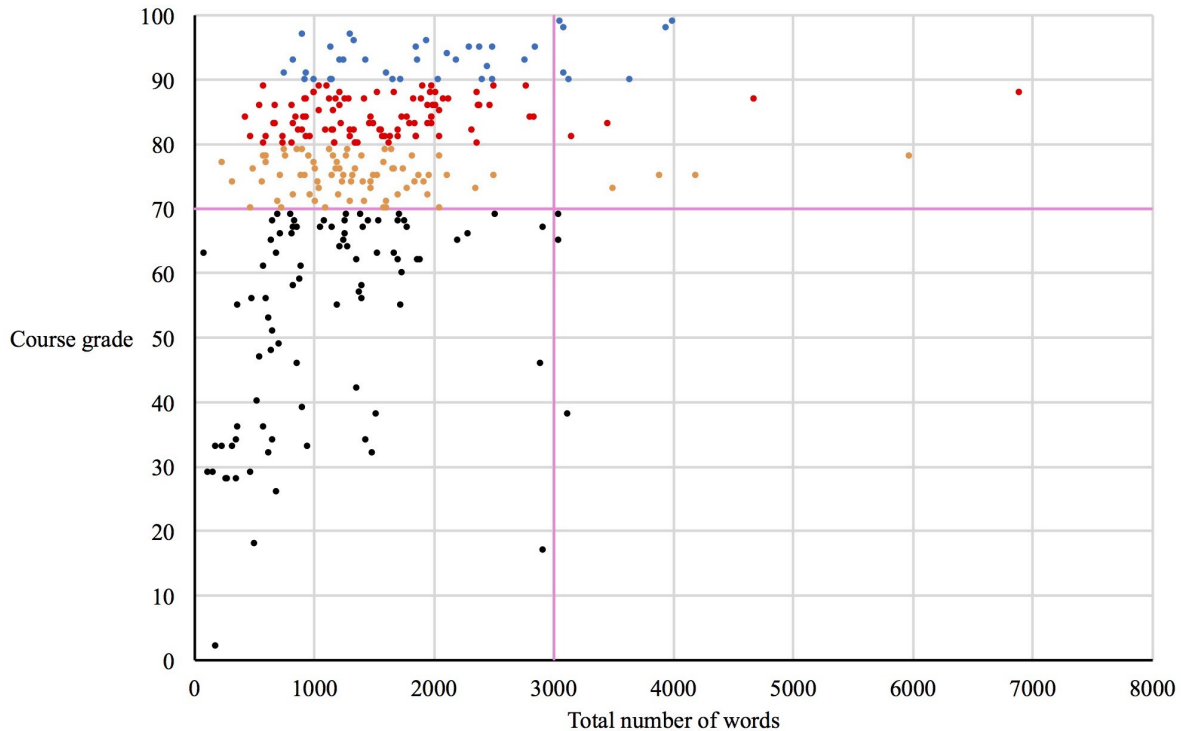
Over the last 5 years, the number of words in each student recommendation ranged from 2 to 213 words. Here are the two extremes:

More examples.

One improvement, though you may disagree, but for some of us older students that it has been a while since we took the algebra classes, a very brief review of the important / useful algebraic methods that will be needed for this course would be great. For example, where to put the variables when you need to switch them to the other side of the equation. If you are wanting this to be like an actual stand-alone book, I would also add in somewhere a full list of conversions. Also, so far for this chapter, I think it would be easier to understand and relate it to real world experience if the examples were more described as if it were about a real situation or object. Like example #3, for instance; instead of just saying what the formula is ($\delta = \alpha L \Delta T$), and what each symbol is, and then asking what the ΔT is, explain the problem as a real situation. More like in the problem sets, but then go into detail on how to solve it using real world examples. I am confused in Example 3, step 2, how you can separate the unit label ($^{\circ}\text{F}$) from its value (5×10^{-6}), putting the $^{\circ}\text{F}$ in the numerator and leaving the value in the denominator.

Clearly, the second response indicates a great deal more thought than the first response. It includes four distinct recommendations, every one of which is specific enough to be actionable.

The graph below shows the final course grades for the past five years plotted as a function of the total number of words each student submitted. Each of the 276 points represents a student enrolled in the class in a particular semester, therefore any student repeating the course appears as more than one point on the graph. The points are color-coded according to course grade: A = blue, B = red, C = orange, and D or F = black. The passing grade in this course is a C.

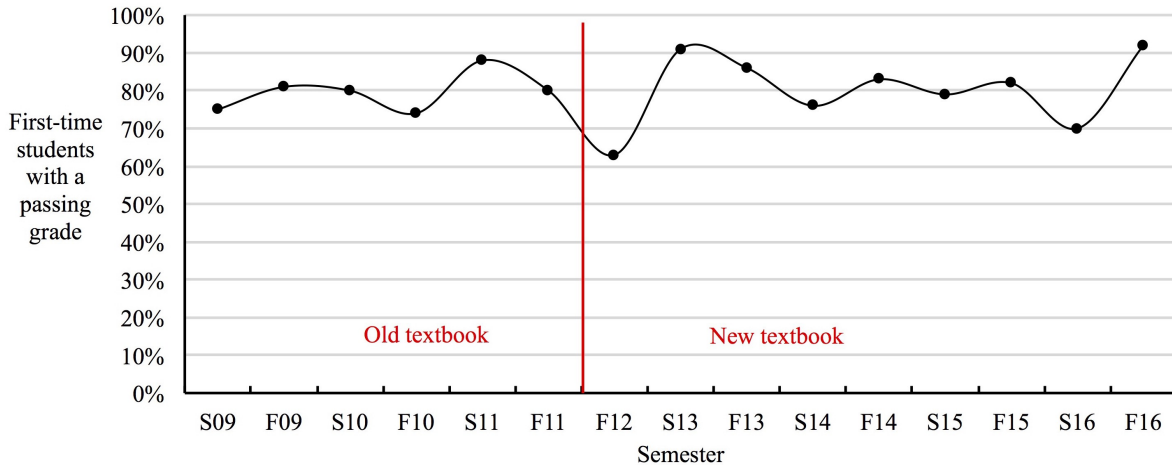


We can rank the students by the total number of words they wrote: less than 1000, 1000 to 2000, 2000 to 3000, and more than 3000. The table below shows that students who wrote the most were more likely to earn higher grades (two fifths earned an A); students who wrote the least were more likely to earn low grades (nearly half failed the course with a D or an F).

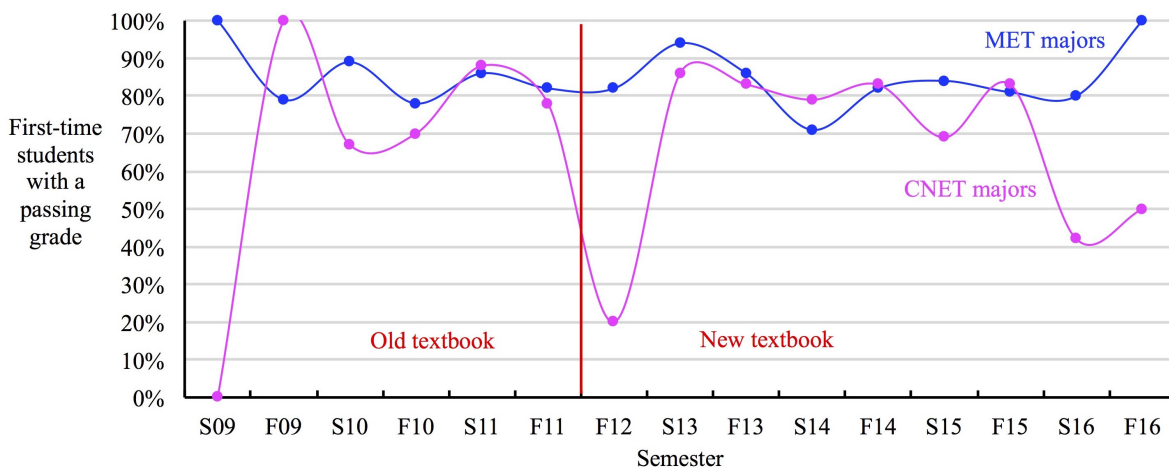
Grade distribution for each range of total words written	A	B	C	D or F
Less than 1000 words	5%	26%	22%	47%
1000 to 2000	10%	37%	31%	22%
2000 to 3000	29%	42%	13%	16%
More than 3000 words	39%	22%	22%	17%

Course Grades

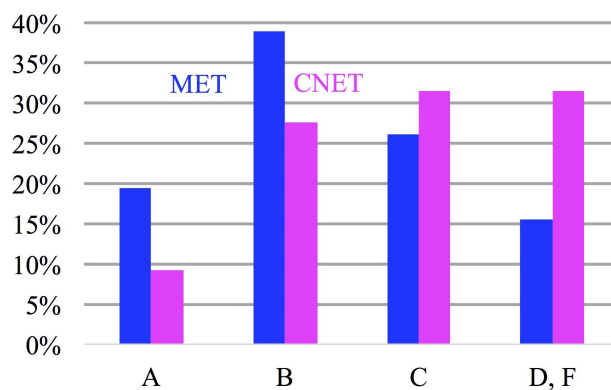
The percentage of students passing the class varies from one semester to the next. Success depends on such factors as a student's maturity and dedication, how many classes the student is taking, employment, proficiency in Statics, and whether the student is repeating the class or taking it for the first time. The following graph shows the percentage of students who passed the course on the first attempt. The dataset includes 6 semesters using the old textbook, and 9 semesters using the new textbook. Introduction of the new textbook in Fall 2012 appears to have made only a small improvement in the passing rate for this course.



Another variable affecting the first-attempt success rate is the student's major. This next graph shows that MET students are usually more successful than CNET students in passing the course on the first try.



The performance gap is evident in the grade distribution between the two majors, illustrated at the right. MET students are more likely to earn higher grades than CNET students. One reason for the performance difference is that MET students are more skilled at unit conversions, so their grades on the first exam are, on average, 10 to 15 points better than CNET students. This gap gradually closes during the semester, so that by the third exam, the average grade between the two groups of students is nearly the same, indicating that both



groups of students are equally capable, therefore the difference in performance must be due to background rather than ability. Unfortunately, by the third exam, the damage to CNET students' grades is done, and many CNET students must repeat the class for a passing grade.

In the U.S., manufacturing industries use both U.S. Customary and SI units, so MET students are familiar with both unit systems. In contrast, SI is rarely used in the U.S. construction industry, so CNET students treat SI units as a foreign language; their lack of understanding of SI units is evident in their homework submissions. While students of both majors struggle with algebra, the CNET students struggle more than the MET students with unit conversions.

In an effort to close the performance gap between these two groups of students, the CNET curriculum has recently added a freshman class which teaches, among other things, the factor-label method of unit conversion. That course has been required in the MET program for many years; the hope is that CNET students will become more proficient in unit conversions, especially with SI units.

This table shows that first-time MET students fared measurably better and first-time CNET students fared significantly worse with the new textbook. The first group of CNET students to take the unit conversion course are just now showing up in Strength of Materials; it will be interesting to see if the negative trend in CNET performance is reversed in the next few years.

	MET		CNET	
	Old book	New book	Old book	New book
Total number of first-time students	134	178	37	78
Number of students passing the course on the first attempt	105	151	29	53
Percent of students passing the course on the first attempt	78%	85%	78%	68%

Conclusions and Future Work

This paper presents a model for conducting Continual Improvement in textbook editing by undergraduate engineering technology students. Over 5 years, more than 900 editorial changes have resulted in a better textbook with fewer errors, better example problems, and clearer explanations. Although student success is mixed, careful analysis of the data led to a change in the Construction Engineering Technology curriculum which should lead to greater student success in this course within the next few years.

Future work includes an open-access textbook on Materials Engineering for engineering technology students, using the same CIP model, but with two coauthors from industry.

Acknowledgements

I would like to acknowledge 270 undergraduate student editors who contributed suggestions for improving the textbook, from the portions of the rough draft in fall 2011 to v.10 in fall 2016.

Jacob Ainsworth	Brian Daley	Spencer Hille	Jacob Mazurek	John Schafer
Aaron Alexander	Christopher Davis	Paul Hilterbrand	Joel McBain	Riley Schuette
George Allwein	Patrick Davis	Benjamin Hinora	Adam McCarty	Zeke Schultz
Matthew Amberg	Ross Dillion	Tyler Hinora	Tori McGairk	Austin Schweitzer
Jared Archer	Garrett Duhnovsky	Frank Hoffman	Michael McLinden	Justin Self
Mark Archer	Joshua Dunlap	James Hoppes	Riley McMurray	Ryan Sellers
Mark Armstrong	Joshua Dynes	Bradley Horn	James McVicker	Brad Shamo
Justin Arnold	Jared Elliott	Derick Hostetler	Angela Mendoza	Philip Sheets
Stuart Aspy	Stephen England	Josef Ifer	Tedd Miller	Nathan Sheneman
Caleb Averill	Cameron Eyman	Sujinda Jaisa-Ard	Estelle Mills	Keith Shepherd
Alex Baer	Jacob Falk	Ariana Jarvis	Jedd Minnich	Scott Shifflett
Ryan Baughman	Joshua Farlee	Daniel Johns	Kaitlin Moore	Matthew Shimko
Eric Baumgartner	Christopher Faurote	Jason Joyner	Derek Morreale	Kenneth Short
Trenton Barnett	Tyler Faylor	Lucas Kaiser	Senaid Mrzljak	Eric Shorten
Jacob Beard	Taylor Fear	John Keene	Travis Mullendore	Trenton Shrock
Neil Beauchot	Austin Fearnow	Adam Kelling	Blake Nicol	George Siddons
Mitchell Bellam	Benjamin Fiechter	Adam Kennedy	Kyle Noll	Travis Singletary
Aaron Bender	Alexander Fisher	Joseph Kent	Ivory Nnaji	Shane Slone
Emily Bendix	John Fisher	Nate Kipfer	Michael Nusbaum	Jacob Smarker
Maverick Birch	Misael Flores	Hannah Kiningham	Adam Oberley	Ellen Smith
Kevin Black	Charles Foreman	Patrick Kirk	Mitchell Olney	Taylor Snavelly
John Blankenship	Bryce Forrester	Andrew Kitrush	Jordan Owens	Matthew Somerlott
Connor Bleke	Ian Forslund	Rachael Klopfenstein	Jason Pace	Joshua Sorge
Jason Bobay	Camden Fox	Martin Koeneman	Ryan Pearce	Matthew Steiner
Tyler Bolinger	Dominick Franco	Austin Kraner	Jacob Penland	Jason Strole
Daniel Bone	Michael Friddle	Joel Kumfer	Nicholas Penrod	Jonas Susaraba
Kyler Boots	Nathan Frye	Branden Lagassie	Luis Perea	Troy Sutterfield
Crystal Boyd	Austin Furnas	Kyle Lagemann	Tad Pfefferkorn	Robert Swanson
Valerie Bratten	Jacob Gaerte	Doug Lambert	John Pham	Christopher Swygart
Cole Bruick	Brett Gagnon	Brandon Lane	Clayton Philips	Kyle Tew
Aaron Bryant	Joseph Gallmeyer	Justin Lantz	John Pogue	Zach Thorn
Brady Bryant	Matthew Gamble	Taylor Lantz	Gabe Powell	Nathaniel Timmons
Gregory Bunn	Daniel Geimer	Patrick Laroy	Braxton Powers	Tyler Tippman
Nicholas Burchell	Carl Garringer	Venus Lee	Nathan Pratt	Jason Tonner
Justin Byerley	Tyler Geesaman	Christopher Leek	Trey Proper	Eric Trabel
Blake Cain	Shane Giddens	Daniel Lewis	Dakota Rassman	Chandler Tracey
Brody Callaghan	Andrew Gordon	Jonathan Lewis	Justin Reece	Cody Turner
Esperanza Castillo	Almario Greene	Park Lickliter	Matthew Rejak	James Upton
Richard Chadwick	Michael Gresley	Eric Liles	James Rensberger	Jason Vachon
Tyler Chambers	Ryan Guiff	Joseph Lortie	Shawn Reuille	Thadius Vesey
Brian Chaney	Lucas Hahn	Andrew Loughborough	Daniel Reynolds	Dakota Vogel
Daniel Christian	James Harris	Jonah Mack	Daniel Rieman	Scott Vorndran
Zachary Clevenger	David Halpin	Kyle Macke	Charles Rinehart	Charles Wadsworth
Ryan Clingenpeel	Charles Hanes	Cullan Magnuson	Jason Ringer	Travis Weigold
Mitchell Comparet	Adam Hanford	Evan Malic	Derek Ripley	Sam Weisser
Chelsea Cox	Christian Harmeyer	Linda Manduka	Matthew Roell	Jay Wehrle
Uriel Contreras	Brian Harper	Austin Mann	Jennifer Royer	Brock Westergaard
Jordan Cook	Matthew Hauter	Dalton Mann	Connor Ruby	Grant Wilson
Logan Counterman	Skyler Hayes	David MarcAurele	Brandon Rude	Kenneth Win
Stephen Cox	Alexander Heine	Lucas Martin	Austin Rumsey	Scott Wolfe
Dillon Craig	Cody Hepler	Sterling Martin	John Ryan	Michael Woodcock
Chad Crosby	Kaleb Herrick	Alex Mason	Billie Saalfrank	Lindsay Wright
Daniel Cummings	Cameron Herring	La Keisha Mason	Zachary Saylor	Matthew Young
Taylor Cummings	Matthew Heyn	Jason Mayes	Zackory Schaefer	Tang Zhong

¹ Barry Dupen, *Applied Strength of Materials for Engineering Technology*, 11th ed., available at http://opus.ipfw.edu/mcetid_facpubs/52/. The most recent edition (updated every semester) is available at http://www.etc.ipfw.edu/~dupenb/ET_200/StrengthOfMatHome.html.

² Masaaki Imai, *Kaizen: The Key to Japan's Competitive Success*, McGraw-Hill, New York, 1986.

³ Edward F. Gehringer, "Experience with Software Support For Managing Student-Authored Wiki Textbooks", proceedings of the ASEE Annual Conference & Exposition, June 2011.

⁴ Charles Birdsong, John Chen, Marilyn Tseng, & Christine Victorino, "Student Acceptance of Online Textbooks Across Multiple Engineering Courses", *Computers in Engineering Journal*, Vol. XXV No. 3, July – September 2015, p. 64-86,

⁵ See <http://www.abet.org/accreditation/accreditation-criteria/accreditation-policy-and-procedure-manual-appm-2017-2018/> (accessed December 2016).

⁶ See the National Eye Institute website, https://nei.nih.gov/health/color_blindness/facts_about (accessed January 2017).